



Bhilai Institute of Technology, Durg

(Department of Computer Science and Engineering)

Computer Architecture and Organisation Assignment

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1. Difference between hardwired and micro-programmed control unit.

Ans:

| S.No. | Hardwired Control Unit | Micro-Programmed control unit |
|-------|---|---|
| 1 | Hardwired control unit generates the control signals needed for the processor using logic circuits | Microprogrammed control unit generates the control signals with the help of micro instructions stored in control memory |
| 2 | Hardwired control unit is faster when compared to microprogrammed control unit as the required control signals are generated with the help of hardwares | This is slower than the other as micro instructions are used for generating signals here |
| 3 | Difficult to modify as the control signals that need to be generated are hard wired | Easy to modify as the modification need to be done only at the instruction level |
| 4 | More costlier as everything has to be realized in terms of logic gates | Less costlier than hardwired control as only micro instructions are used for generating control signals |
| 5 | It cannot handle complex instructions as the circuit design for it becomes complex | It can handle complex instructions |
| 6 | Only limited number of instructions are used due to the hardware implementation | Control signals for many instructions can be generated |
| 7 | Used in computer that makes use of Reduced Instruction Set Computers(RISC) | Used in computers that make use of Complex Instruction Set Computers(CISC) |

2. Divide 21 and 3 using non-restoring division method.

Ans:

$$\text{Dividend} = 21 = (10101)_2 = Q$$

$$\text{Divisor} = 3 = (000011)_2 = B$$

$$B \xrightarrow{2's} (111101)_2$$

count = 5

| A | Q | Count | Action |
|---------|---------|-------|---|
| 000000 | 10101 | 5 | initialize |
| 000001 | 0101□ | | shift left |
| 111101 | 0101□ | | $A \not< 0$ $A = A + \overline{B} + 1$ |
| 111110 | 0101[0] | | $A < 0$, $Q \leftarrow 0$ |
| 111110 | 01010 | 4 | count- |
| 111100 | 1010□ | | shift left |
| 000011 | 1010□ | | $A < 0$, $A+B$ |
| 111111 | 1010[0] | | $A < 0$, $Q \leftarrow 0$ |
| 111111 | 10100 | 3 | count- |
| 111111 | 0100□ | | shift left |
| 000011 | 0100□ | | $A < 0$, $A+B$ |
| 1000010 | 0100[1] | | $A \not< 0$, $Q \leftarrow 1$ |
| 000010 | 01001 | 2 | count- |
| 000100 | 1001□ | | shift left |
| 111101 | 1001□ | | $A \not< 0$ $A = A + \overline{B} + 1$ |
| 1000001 | 1001[1] | | $A \not< 0$, $Q \leftarrow 1$ |
| 000001 | 10011 | 1 | count- |
| 000011 | 0011□ | | shift left |
| 1111101 | 0011□ | | $A \not< 0$ $A = A + \overline{B} + 1$ |
| 1000000 | 0011[1] | | $A \not< 0$, $Q \leftarrow 0$ |
| 000000 | 00111 | 0 | count-, count = 0 |
| 000111 | 00111 | | $A = A + B$ |

Result : 000111

3. Perform $-8 * -6$ using Booth's multiplication technique.

Ans:

$$BR = -8 = (11000)_2 \xrightarrow{2'S} (11000)_2$$

$$QR = -6 = (1110)_2 \xrightarrow{2'S} (11010)_2$$

$$BR \xrightarrow{\overline{BR}+1} (01000)_2$$

$$SC = 5$$

| AC | QR | Q_{n+1} | SC | Action |
|---------|---------|-----------|----|---|
| 00000 ↘ | 11010 ↘ | 0 | 5 | $Q_n Q_{n+1} = 00$ |
| 00000 | 01101 | 0 | | ASR |
| 00000 | 01101 | 0 | 4 | $SC \leftarrow SC - 1$ |
| 00000 | 01101 | 0 | | $Q_n Q_{n+1} = 10$ |
| 01000 ↘ | 01101 ↘ | 0 | | $AC \leftarrow AC + \frac{\overline{BR}}{BR} + 1$ |
| 00100 | 00110 | 1 | | ASR |
| 00100 | 00110 | 1 | 3 | $SC \leftarrow SC - 1$ |
| 00100 | 00110 | 1 | | $Q_n Q_{n+1} = 01$ |
| 11100 ↘ | 00110 ↘ | 1 | | $AC \leftarrow AC + BR$ |
| 11110 | 00011 | 0 | | ASR |
| 11110 | 00011 | 0 | 2 | $SC \leftarrow SC - 1$ |
| 11110 | 00011 | 0 | | $Q_n Q_{n+1} = 10$ |
| 00110 ↘ | 00011 ↘ | 1 | | $AC \leftarrow AC + \frac{\overline{BR}}{BR} + 1$ |
| 00011 | 10001 | 1 | | ASR |
| 00011 | 00001 | 1 | 1 | $SC \leftarrow SC - 1$ |
| 00011 ↘ | 00001 ↘ | 1 | | $Q_n Q_{n+1} = 11$ |
| 00001 | 10000 | 1 | | ASR |
| 00001 | 10000 | 1 | 0 | $SC \leftarrow SC - 1$ |

Result : 0000110000